

## The Conventional Short-Circuiting Technique Under-Short-Circuits Most Epithelia

Y.-H. Tai and C.-Y. Tai

Department of Gastroenterology, Walter Reed Army Institute of Research, Washington, D.C. 20012, and  
Department of Physiology, George Washington University School of Medicine, Washington, D.C. 20037

**Summary.** The relationships among ion current, membrane potential difference, and resistance of an epithelium are studied. The short-circuit technique introduced by Ussing and Zerahn does not completely short circuit the epithelium if the series resistance parallel to the cell layer between the voltage electrodes is not properly compensated. The residual potential difference across the epithelial cell layer in the "short-circuit state" is proportional to both the measured short-circuit current and the resistance of the diffusion barriers not compensated. In the conventionally short-circuited small intestinal mucosa the villus and crypt areas are hypo-polarized to different degrees rather than simultaneously hyper- and hypo-polarized. Short-circuiting the whole tissue reduces but does not abolish the passive net ion movement across the tissue. Measurements of the electrical properties of the whole and denuded rat distal small intestine in  $\text{HCO}_3^-$ -Ringer solution containing 10 mM glucose reveal that the measured short-circuit current has under-estimated approximately 33% of the true short-circuit current and that the passive net Na flux from serosa to mucosa and Cl flux from mucosa to serosa are not negligible in the "short-circuit state."

The short-circuit technique introduced by Ussing and Zerahn [8] in their studies of ion transport across isolated frog skin has contributed greatly to the investigation of ion transport across epithelial membranes. The short-circuit conditions are accomplished by bathing both sides of the tissue with identical solutions in the absence of hydrostatic pressure difference and at the same time adjusting the external current so that the electrical potential difference (PD) across the tissue is zero. Under these conditions, the electrochemical potential of any ion

is the same in both solutions and there should be no net movement across the tissue resulting from diffusion alone. The finding of a net ion flux in the short-circuit state indicates either that the ion is subject to forces arising from its interaction with other fluxes or that the net flux is a result of "active transport." The short-circuit current, in principle, represents the algebraic sum of the net fluxes of all ions whose flows across the tissue cannot be attributed solely to differences in electrochemical potential.

In short-circuiting a cell layer, the resistance of the solutions, connective tissue, and muscle layers in series with the cell layer between the voltage electrodes should be taken into consideration. The true short-circuit current should be the short-circuit current corrected for the series resistance. In the study of current-voltage relations in the membrane of the giant axon of *Loligo*, Hodgkin, Huxley, and Katz [4] were able to estimate the series resistance either by dividing the time constant determining the decline of the capacitative curve by the measured value of the membrane capacity or by the change of the potential difference elicited by a rectangular current pulse, as a function of time. In the field of epithelial transport, only the solution resistance has been compensated either manually or automatically [1, 2]. Recently, Gebhardt and Nell [3] were able to measure the series resistance using a method similar to the second method of Hodgkin, Huxley, and Katz [4] by analyzing the voltage deflection elicited by a rectangular current registered on a storage oscilloscope.

With a different view, Rehm concluded from an equivalent circuit model that the whole *in vitro* tissue rather than the epithelial cell layer should be short-circuited [5]. In this paper, we like to show a simple analytical relationship between the true short-circuit current and the short-circuit current

without compensating the resistance of the subepithelial tissue.

We also like to show that the villus and crypt areas are hypo-polarized to different degrees rather than simultaneously hyper- and hypo-polarized<sup>1</sup> in the conventionally short-circuited intestinal mucosa.

Finally, the true short-circuit current in the rat distal small intestine is estimated from the conventionally measured short-circuit current across the whole tissue and the resistance of the subepithelial tissue prepared from adjacent segment.

### Relationship between Net Ion Fluxes and PD under Open-Circuit Conditions

Consider an epithelial tissue containing three layers,  $\alpha$ ,  $\beta$ , and  $\gamma$  in series, separating two compartments *I* and *II* (Fig. 1).  $\alpha$  represents the epithelial cell layer, and  $\beta$  and  $\gamma$  represent the subepithelial and an unstirred layer, respectively. Identical bathing solutions are well stirred in compartments *I* and *II*. The PD of the tissue,  $V_{AB}$ , is measured between points *A* and *B* with a high impedance voltmeter. The resistances of  $\alpha$ ,  $\beta$ , and  $\gamma$  are  $R_\alpha$ ,  $R_\beta$ , and  $R_\gamma$ , respectively. The resistances of the bulk solution between *A* and  $\gamma$  and between *B* and  $\beta$  are  $R_A$  and  $R_B$ , respectively.  $I_a$  is the total ion current, resulting from the net ion fluxes directly or indirectly generated by the "pump(s)" in the epithelial cell layer. When the pump starts operating,  $V_{AB}$  is built up which in turn produces the diffusion current  $I_d$  to counteract the  $I_a$ . Since  $\alpha$  is the ion current source, it exerts no resistance to  $I_a$ . The relationship between  $V_{AB}$  and ion currents, at any time, can be expressed as

$$V_{AB} = (I_d - I_a)(R_\beta + R_\gamma + R_A + R_B) + I_d R_\alpha \quad (1)$$

in which  $I_d - I_a$  is the net current across the layers. When a steady state is reached in which there is no net ion current flowing across the layers, i.e.,  $I_d = I_a$ , then

$$V_{AB} = I_d R_\alpha = I_a R_\alpha \quad (2)$$

Equation (2) indicates that  $V_{AB}$  in the steady state is determined by  $I_a$  and only the resistance of the epithelial cell layer,  $R_\alpha$ .

In the steady state under open-circuit conditions

<sup>1</sup> This possibility was introduced and discussed by Drs. R.A. Frizzell, S.G. Schultz, M. Field, and D.W. Powell during the meetings of the Federation of American Societies for Experimental Biology in Dallas, Tex., 6-10 April 1979. The hypothetical effect of the simultaneous hyper- and hypo-polarization on ion transport across the short-circuited intestinal mucosa of the rat ileum was discussed by Tai and Decker [7].

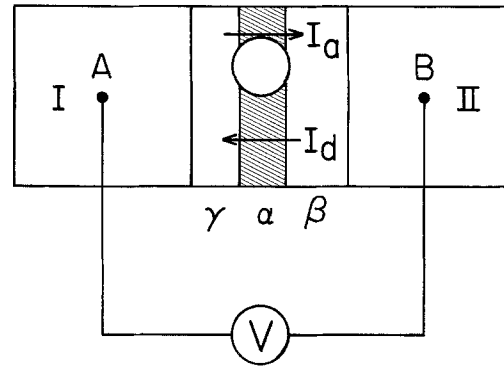


Fig. 1. An epithelial tissue containing three layers,  $\alpha$ ,  $\beta$ , and  $\gamma$ , separates two compartments *I* and *II*. The layer  $\alpha$  is the epithelial cell layer,  $\beta$  and  $\gamma$  are the subepithelial layer and an unstirred layer, respectively.  $I_a$  is the ion current generated by the "pump" in  $\alpha$  and  $I_d$  is the diffusional ion current driven by the electrical potential difference across the tissue,  $V_{AB}$

the net passive ionic flow of ion *i* driven by  $V_{AB}$  can be given as

$$J_i = t_i I_a / z_i F \quad (3)$$

in which  $t_i$  is the transport number of ion *i* and defined as the fraction of the current  $I_a$  carried by the ion species *i*,  $z_i$  is the charge of the ion *i* and  $F$  is the Faraday constant. The direction of  $J_i$  is determined by the signs of the ion species and  $V_{AB}$ . If  $I_a$  represents a  $\text{Na}^+$  current, the  $\text{Na}^+$  concentration in the layer  $\beta$  would be increased. In the steady state, the diffusional  $\text{Na}^+$  flux ( $t_{\text{Na}} I_a / F$ ) from  $\beta$  to compartment *I* can be described by the Goldman-Hodgkin-Katz equation and the  $\text{Na}^+$  flux across the  $\beta$  layer into compartment *II* is accompanied by an equal anion flux driven by the PD from compartment *I* to compartment *II* and is described by the Fick's first law of diffusion since the PD across  $\beta$  is zero. In the situation that  $I_a$  is resulted from a  $\text{Cl}^-$  current from  $\beta$  to  $\gamma$ , the  $\text{Cl}^-$  concentration in  $\beta$  would be decreased. In the steady state, the passive  $\text{Cl}^-$  flux from  $\gamma$  to  $\beta$  ( $t_{\text{Cl}} I_a / F$ ) is also described by the Goldman-Hodgkin-Katz equation and the  $\text{Na}^+$  flux driven by the PD from compartment *II* to compartment *I* is equal to the difference between the two  $\text{Cl}^-$  fluxes. If  $I_a$  is a combination of  $\text{Na}^+$  and  $\text{Cl}^-$  currents, the net result of  $I_a$  on the passive ion movement would be the algebraic sum of the effect of each component of  $I_a$ .

### Relationship between Net Ion Fluxes and Short-Circuit Current

When an external current  $I_e$  is applied in the same direction as  $I_a$  from *D* to *C* as shown in Fig. 2, we get

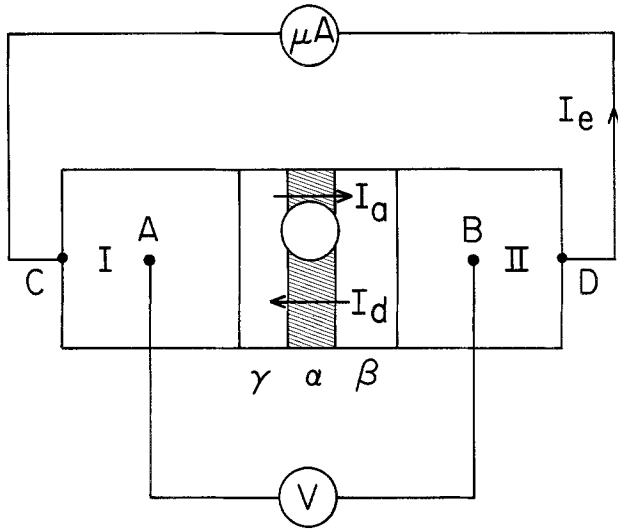


Fig. 2. The external current  $I_e$  is passed from D to C in order to vary  $V_{AB}$

$$V_{AB} = (I_a - I_e)R_x - I_e(R_\beta + R_\gamma + R_A + R_B). \quad (4)$$

Since the resistances  $R_A$  and  $R_B$  can be premeasured, a device is attached externally so that whatever  $I_e$  is passed through in the circuit, a PD of  $I_e(R_A + R_B)$  is subtracted from the reading of  $V_{AB}$ . Equation (4) then becomes

$$V_{AB} = I_a R_x - I_e(R_x + R_\beta + R_\gamma). \quad (5)$$

If  $I_e$  is so varied that  $V_{AB} = 0$ , then

$$[I_e]_{V_{AB}=0} \equiv I_e^0 = I_a R_x / (R_x + R_\beta + R_\gamma). \quad (6)$$

$I_e^0$  represents the measured short-circuit current and under-estimates the total net ion flow,  $I_a$ , or true short-circuit current by a factor of  $R_x / (R_x + R_\beta + R_\gamma)$ . Only when  $R_x \gg (R_\beta + R_\gamma)$ , then  $I_e^0$  approaches  $I_a$ . Under these short-circuit conditions, the PD across  $\alpha$  is not zero and can be given as

$$V_\alpha = (I_a - I_e^0)R_\alpha. \quad (7)$$

Substituting Eq. (6) into Eq. (7), we get

$$V_\alpha = I_e^0(R_\beta + R_\gamma). \quad (8)$$

Equation (8) indicates that the residual PD across  $\alpha$  in the "short-circuit state" is proportional to both the measured short-circuit current and the sum of  $R_\beta$  and  $R_\gamma$ . Again, only when  $I_e^0$  or  $(R_\beta + R_\gamma)$  approach zero then  $V_\alpha$  becomes negligible.

If the layer  $\gamma$  represents an unstirred layer, the difference between  $R_\gamma$  and the resistance of a well-stirred solution with identical thickness is negligible (see Appendix). Then  $R_\gamma$  can be included in  $R_A$ . Equation (8) becomes

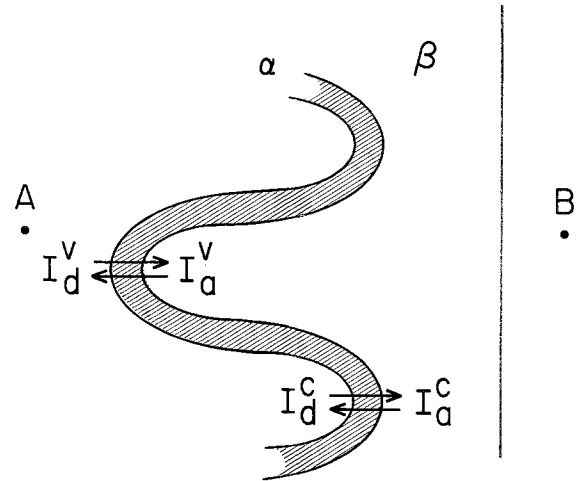


Fig. 3.  $\alpha$  and  $\beta$  are the epithelial cell layer and the subepithelial layer of a section of the small intestine, respectively. The villus and crypt areas are designated by the superscripts  $v$  and  $c$ , respectively. The direction of  $I_a$  is from left to right and the direction of  $I_d$  from right to left

$$V_\alpha = I_e^0 R_\beta. \quad (9)$$

The diffusion current,  $I_d$ , in this short-circuit state is

$$[I_d]_{V_{AB}=0} \equiv I_d^0 = I_a - I_e^0 = I_a R_\beta / (R_x + R_\beta). \quad (10)$$

The passive ionic flow of  $i$  across the layer  $\alpha$  is

$$J_i = t_i I_d / z_i F = t_i I_a R_\beta / (R_x + R_\beta) z_i F. \quad (11)$$

Comparison between Eqs. (3) and (11) indicates that these passive net ionic flows are reduced but not abolished in the "short-circuit state."

### Short-Circuiting the Small Intestine

The mammalian small intestine contains numerous parallel conductive pathways (shunt pathways) throughout the villus and crypt areas. Figure 3 shows a diagram of a section of small intestine including a villus and a crypt area. The net ion current generated by the epithelial cells and the diffusional ion current in each area are designated by a superscript  $v$  for villus and  $c$  for crypt. Since all the conductive pathways are parallel, the open-circuit PD in each pathway measured between points A and B should be identical in the steady state. As is similar to Eq. (2), we get

$$V_{AB} = I_a^v R_\alpha^v = I_a^c R_\alpha^c \quad (12)$$

in which  $R_\alpha^v$  and  $R_\alpha^c$  are the resistance of the villus and crypt area of the epithelial cell layer, respectively. Rearranging Eq. (12) gives

$$I_a^v / I_a^c = R_\alpha^c / R_\alpha^v. \quad (13)$$

The total ion current,  $I_a$ , and the resistance of the epithelial cell layer are

$$I_a = \sum_i I_a^i \quad (14)$$

and

$$R_a = \left[ \sum_i (R_a^i)^{-1} \right]^{-1}. \quad (15)$$

The PD across the tissue can also be expressed as

$$V_{AB} = I_a R_a. \quad (16)$$

When the external current,  $I_e^o$ , is applied to nullify the  $V_{AB}$ , similar treatment for getting Eq. (6) leads to

$$I_e^o = I_a R_a / (R_a + R_\beta) \quad (17)$$

in which  $R_\beta = \left[ \sum_i (R_\beta^i)^{-1} \right]^{-1}$ . Equation (17) indicates, similar to Eq. (6), that the measured short-circuit current under-estimates the total ion current  $I_a$ . The distribution of  $I_e^o$  in all the pathways is

$$I_e^o = \sum_i I_e^{oi} \quad (18)$$

$$I_e^{oi} = I_a R_a^i / (R_a^i + R_\beta^i). \quad (19)$$

The superscript  $i$  indicates the  $i$ -th pathway. The residual PD across the epithelial cell layer in each area is given by

$$V_a^i = I_e^{oi} R_\beta^i. \quad (20)$$

The ratio of  $V_a$  between a villus and a crypt area is

$$\frac{V_a^v}{V_a^c} = \frac{I_a^v R_a^v R_\beta^v}{I_a^c R_a^c R_\beta^c} \cdot \frac{R_a^c + R_\beta^c}{R_a^v + R_\beta^v} \\ = (R_\beta^v R_a^c + R_\beta^c R_a^v) / (R_\beta^c R_a^v + R_\beta^v R_a^c). \quad (21)$$

If  $R_a^c \geq R_a^v$ , then

$$V_a^v > V_a^c \quad (22)$$

since  $R_\beta^v > R_\beta^c$ . The incomplete short-circuiting is probably more significant in the villus area than in the crypt area.

Recently, a technique of removing the epithelial cell layer in the rat jejunum was developed [6]. The epithelial cells from both the villus and crypt areas were completely removed but the structure of the subepithelial tissue was well preserved and the villiform organization was maintained. An electronmicrograph of the denuded tissue suggested the basement membrane remained intact when the epithelium was removed. The electrical properties of

**Table 1.** Electrical properties of the whole tissue and subepithelial tissue of the rat distal small intestine in  $\text{HCO}_3^-$ -Ringer solution containing 10 mM glucose

	$I_e^o$	PD	$G$	$R$
Whole tissue	$3.43 \pm 0.51$	$2.94 \pm 0.31$	$31.6 \pm 1.3$	$31.9 \pm 1.3$
Subepithelial			$96.5 \pm 5.7$	$10.5 \pm 0.6$

The values are expressed as mean  $\pm$  SE of four observations. The units are  $\mu\text{eq/hr/cm}^2$  for  $I_e^o$ , mV for PD,  $\Omega \cdot \text{cm}^2$  for  $R$ , and  $\text{mmho/cm}^2$  for  $G$  which is the tissue conductance. The  $I_e^o$  and PD of the subepithelial tissue are virtually zero. The conductance ( $G$ ) is determined as the relative change in current with respect to the change of 2 mV ( $\pm 1.0$  mV from zero) in PD. The sign of PD is serosal side positive with respect to the mucosal side.

the subepithelial tissue prepared by the same technique and of the adjacent whole tissue in  $\text{HCO}_3^-$ -Ringer solution containing 10 mM glucose are shown in Table 1. The membrane PD is serosa positive and the short-circuit current represents a positive current from mucosa to serosa. The solution resistance between the tips of the agar bridges to the voltage electrodes was corrected by an automatic voltage clamp in obtaining the  $I_e^o$  for the whole tissue. The difference in resistance between the whole tissue and denuded tissue provides an estimate of the resistance of the epithelial cell layer,  $21.4 \Omega \cdot \text{cm}^2$  which is in good agreement with the value of  $17.4 \Omega \cdot \text{cm}^2$  found by Gebhardt and Nell [3]. The estimated true short-circuit current by Eq. (17) is  $5.11 \mu\text{eq/hr/cm}^2$ . The residual PD across the epithelial cell layer,  $V_a$ , is estimated to be 1.0 mV, serosa positive. It is of importance to note that under these "short-circuit conditions" net passive Na flux from serosa to mucosa and Cl flux from mucosa to serosa are present and cannot be ignored; approximately  $0.76 \mu\text{eq/hr/cm}^2$  for Na flux assuming  $t_{\text{Na}} = 0.45$  and  $0.60 \mu\text{eq/hr/cm}^2$  for Cl flux assuming  $t_{\text{Cl}} = 0.35$ . These estimated passive net fluxes of Na and Cl are approximately 40% of the net fluxes of Na and Cl measured under identical conditions [7]. When the relationship between short-circuit current and ion fluxes is evaluated, these corrections should be considered.

Finally, the analysis in this paper indicates that to strip off the serosal and muscle layers of small intestine in studies of ion transport in Ussing chambers is justified.

In conducting the research described in this report, the investigators adhered to the "Guide for Laboratory Animal Facilities and Care" as promulgated by the committee on the Guide for Laboratory Animal Facilities and Care of the Institute of Laboratory Animal Resources, National Academy of Sciences, National Research Council.

## Appendix

The difference in resistance between two similar solutions depends on the differences in ion composition. If a tissue is bathed in a solution containing 140 mM NaCl and a steady-state rate of net transport of Na and Cl is reached, the change in Na or Cl concentration in the unstirred layer can be estimated by Fick's first law of diffusion, i.e.

$$J_i = -D_i(dC_i/dx) \quad (\text{A1})$$

in which  $J_i$ ,  $D_i$ , and  $dC_i/dx$  are the steady-state net flux, diffusion coefficient, and concentration gradient of ion  $i$  in the unstirred layer, respectively. Equation (A1) assumes that the effect of electrical potential gradient in the unstirred layer is negligible in comparison to the concentration gradient and that the water flows in response to the salt transport do not significantly change the salt concentration in the unstirred layer. Since the diffusion coefficient can be treated as a constant in a small concentration range, integration of Eq. (A1) over the thickness of the unstirred layer gives

$$\Delta C_i = -J_i \Delta x / D_i \quad (\text{A2})$$

in which  $\Delta C_i$  is the concentration difference of ion  $i$  across the unstirred layer and  $\Delta x$  is the thickness of the unstirred layer. Assuming  $J_{\text{Na}} = 2 \mu\text{eq/hr/cm}^2$ ,  $D_{\text{Na}} = 0.04 \text{ cm}^2/\text{hr}$ , and  $\Delta x = 0.03 \text{ cm}$ , we get  $\Delta C_{\text{Na}} = -1.5 \text{ mM}$ . The average decrease in Na concentration of the unstirred layer is about one half of the concentration difference across the unstirred layer. Hence, it is reasonable to assume that the difference in resistance between unstirred layer and bulk solution with identical thickness is negligible.

## References

1. Brennecke, R., Lindemann, B. 1974. Design of a fast voltage clamp for biological membranes, using discontinuous feedback. *Rev. Sci. Instrum.* **45**:656
2. Gebhardt, U. 1974. A fast voltage clamp with automatic compensation for changes of extracellular resistivity. *Pfluegers Arch.* **347**:1
3. Gebhardt, U., Nell, G. 1979. Measurement of the "true" epithelial resistance of the intestinal mucosa. *Gastroenterol. Clin. Biol.* **3**:175
4. Hodgkin, A.L., Huxley, A.F., Katz, B. 1952. Measurement of current-voltage relations in the membrane of the giant axon of *Loligo*. *J. Physiol. (London)* **116**:424
5. Rehm, W.S. 1975. Ion transport and short circuit technique. In: Current Topics in Membranes and Transport. F. Bronner and A. Kleinzeller, editors. Vol. 7, pp. 217-270. Academic Press, New York
6. Tai, C.-Y., Jackson, M.J. 1980. Weak electrolyte discrimination in the subepithelial layers of rat small intestine. *Fed. Proc.* **39**:286
7. Tai, Y.-H., Decker, R.A. 1980. Mechanisms of electrolyte transport in rat ileum. *Am. J. Physiol.* **238**:G208 (*Gastrointest. Liver Physiol.* 1)
8. Ussing, H.H., Zerahn, K. 1951. Active transport of sodium as the source of electric current in the short-circuited isolated frog skin. *Acta Physiol. Scand.* **23**:110

Received 9 June 1980; revised 28 October 1980